

## Screeching sound of peeling tape

Er Qiang Li <sup>1,2</sup> Paul W. Riker <sup>3</sup> Sriram Rengarajan <sup>1,4</sup> Zi Qiang Yang <sup>1</sup> Kenneth R. Langley <sup>1</sup>  
Ravi Samtaney,<sup>1</sup> and Sigurdur T. Thoroddsen <sup>1,\*</sup>

<sup>1</sup>*Division of Physical Sciences and Engineering, King Abdullah University of Science and Technology, Thuwal 23955-6900, Saudi Arabia*

<sup>2</sup>*State Key Laboratory of High-Temperature Gas Dynamics, School of Engineering Science, University of Science and Technology of China, Hefei, Anhui 230026, China*

<sup>3</sup>*Visualization Center, King Abdullah University of Science and Technology, Thuwal 23955-6900, Saudi Arabia*

<sup>4</sup>*Department of Aerospace Engineering, Indian Institute of Technology Madras, Chennai, Tamil Nadu 600036, India*



(Received 3 May 2025; accepted 6 January 2026; published xxxxxxxxx)

The screeching of peeling tape is a familiar albeit annoying sound. However, despite decades of study, its source has remained elusive. Herein we demonstrate that this sound is produced by a discrete train of weak shocks emanating from the fine fractures which travel supersonically with respect to the surrounding air, in the transverse direction within the detaching adhesive. Each sound pulse is generated when a fracture tip reaches the edge of the tape. We verify this using two microphones synchronized with clips from two simultaneous high-speed video cameras, one observing the fracture motions in the adhesive through the transparent substrate, while the other captures schlieren imaging of the shock fronts in the air.

DOI: [10.1103/p19h-9ysx](https://doi.org/10.1103/p19h-9ysx)

### I. INTRODUCTION

The peeling of adhesive tape from a solid surface is known to progress with a stick-slip mechanism. Indeed, numerous studies investigated the chaotic trajectory of these motions and the associated pulling forces [1–7], which is important for disparate phenomena, such as fracture mechanics, triboluminescence, and earthquake dynamics. However, the early studies missed a crucial aspect of the slip mechanism, which relies on a sequence of transverse cracks which can travel supersonically, relative to the air, across the width of the adhesive under the tape as it detaches from the solid substrate. Each slip phase progresses through dozens of these transverse fractures before reaching the slow stick phase. The modeling of the physics of this stick-slip mechanism was therefore pursued in the wrong physical dimension. Thoroddsen *et al.* [8] identified this microfracture phenomenon using ultrafast video imaging, at  $1 \times 10^6$  frames per second (fps), to capture the supersonic motions of the 220- $\mu\text{m}$ -wide fracture bands. Subsequent studies [9–14] characterized the size of the fracture bands from the bending stress in the tape. The related phenomenon of triboluminescence is of great interest, which can even generate x-rays, when the tape is peeled under vacuum [15].

The following question remained: How is the screeching sound produced? Thoroddsen *et al.* [8], who observed elastic waves traveling up the detached part of the tape, speculated that these waves acted as the source of the sound. These waves along the tape are promoted by the tip of the fractures, as shown in Video 4 in their Supplemental Material [8]. On the other hand, Marston *et al.* [16] demonstrated a direct correspondence between the sound produced and the transverse fractures, showing identical numbers of sound pulses as the number of fractures during each slip phase. The nature of the sound is therefore more discrete than would be expected from the periodic oscillation of a ribbon of the detached tape. However, Marston *et al.* [16] did not identify the actual mechanism of the sound generation or where these sound pulses emerge from. This is the focus of the present study. One possibility is that the sound is directly generated by the rapidly moving tip of the fracture, as it moves supersonically, with respect to the air, from one side of the tape to the other. Therefore, besides forcing elastic waves in the tape, this could also directly produce the discrete sound-wave pulses. To clarify this mechanism, we have herein performed simultaneous high-speed imaging of the fractures and the sound waves in the air, using two video cameras, which are in addition synchronized with two microphones, to pinpoint the origin of the pressure pulses.

\*Contact author: sigurdur.thoroddsen@kaust.edu.sa

Published by the American Physical Society under the terms of the [Creative Commons Attribution 4.0 International](https://creativecommons.org/licenses/by/4.0/) license. Further distribution of this work must maintain attribution to the author(s) and the published article's title, journal citation, and DOI. Open access publication funded by King Abdullah University of Science and Technology (KAUST).

### II. EXPERIMENTAL SETUP

The experimental setup is sketched in Fig. 1, with a more detailed drawing in the Supplemental Material [17]. We use 19-mm-wide Scotch tape, which is rapidly detached from a 20-mm-thick glass plate, wedged in a heavy stainless-steel support structure to minimize substrate motions during the peeling. This is accomplished by manually pulling the tape

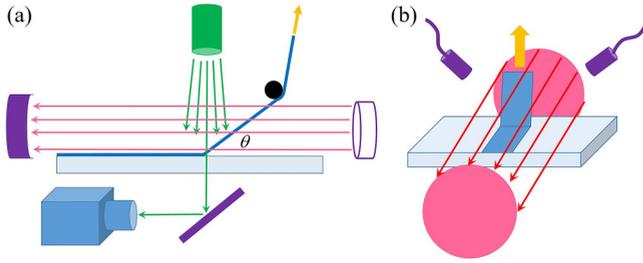


FIG. 1. Sketches of the experimental setup. (a) Side view with the bottom-view camera. (b) Front view with the collimated schlieren light shone along the glass plate and the placement of the two microphones, positioned one on each side of the tape. More detailed drawing and photographs are included in the Supplemental Material [17].

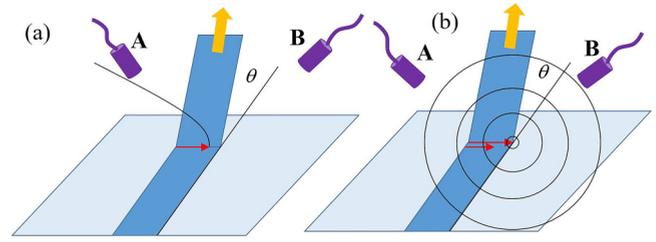


FIG. 2. Sketches of the two proposed competing sound generation mechanisms. (a) The tip of the supersonic crack produces a shock wave into the air. (b) The actual observed mechanism, where the sound shocks are generated when each crack reaches the edge of the tape.

74 upward while using a transverse metal rod to guide the motion  
 75 of the tape and maintain nearly a constant pulling angle of  
 76  $\theta \simeq 45^\circ$  with small angular variability of  $\Delta\theta < 2^\circ$ , as de-  
 77 scribed in [8]. The discrete pressure and density fluctuation  
 78 associated with the sound waves traveling in the air are  
 79 captured with a schlieren setup, using two large concave  
 80 mirrors and a horizontal knife-edge to image the spatial den-  
 81 sity gradients with time. The motion of the acoustic wave  
 82 is recorded with an ultrahigh-speed video camera (Kirana-  
 83 05M, Specialized Imaging, UK) at frame rates up to  $2 \times 10^6$   
 84 fps. To minimize motion smearing, we use illumination from  
 85 pulsed laser diodes (SI-LUX640, monochromatic red light  
 86  $\lambda = 640$  nm) with a pulse duration of 100 ns in each frame.  
 87 The light passes through a pinhole to produce a point source,  
 88 which is then collimated by the concave mirror into a beam  
 89 passing through the test volume next to the detaching tape.  
 90 A second concave mirror focuses the light with a knife-edge  
 91 at its focus. The details of the transverse fractures in the  
 92 adhesive under the detaching tape are recorded by a second  
 93 high-speed camera (Phantom V2512), looking up through the  
 94 glass substrate, with continuous white lighting shone from the  
 95 top. The short duration of the Kirana video clips (180 frames)  
 96 required a dedicated image line trigger (SI-OT3), where a light  
 97 beam is cut by the advancing detached section of the tape. In  
 98 some recordings an image trigger in the Phantom sensor was  
 99 used instead. The corresponding sound is recorded with two  
 100 identical high-definition microphones (Earthworks M30, with  
 101 a sensitivity of 34 mV/Pa and flat frequency response up to  
 102 30 kHz) placed on opposite sides of the Scotch tape. This  
 103 allows us to compare the arrival time of the sound waves to  
 104 the two microphones, to clarify their origin. The sound signals  
 105 are recorded at 192 kHz using a Tektronix DPO7254 Digital  
 106 Oscilloscope, at twice the frame rate of the bottom Phantom  
 107 video camera.

### 108 III. EXPERIMENTAL RESULTS

109 The multisensor setup allows us to pin down the relation-  
 110 ship between the supersonic cracks in the adhesive and the  
 111 discrete sound pulses detected by Marston *et al.* [16]. The  
 112 cracks travel transversely through the tape starting at one  
 113 edge, with the sequence of cracks moving in the same direc-  
 114 tion, as sketched in Fig. 2(a). The original working hypothesis

115 was that the supersonic tip of the crack would send out a  
 116 sound front which would first reach the microphone closer to  
 117 the start of the crack. The exact opposite was observed. The  
 118 microphone closer to the end point of the crack saw the sound  
 119 pulse first, as sketched in Fig. 2(b). Simultaneous imaging  
 120 of the transverse cracks, through the bottom glass, with the  
 121 synchronized sound recordings from the two microphones, is  
 122 shown in Fig. 3. The tape detaches in a stick-slip fashion,  
 123 with an extended stick phase, which leaves dark lines in the  
 124 detached tape, separated by a rapid slip phase which consists  
 125 of a sequence of approximately 220- $\mu\text{m}$ -wide transverse  
 126 fractures. These fractures are visible in the frame in Fig. 3(a)  
 127 by the narrow dark lines near the detachment front, traveling  
 128 in the direction of the red arrow. The whole sequence of  
 129 stick-slip phases is also shown in Video 1 in the Supplemental  
 130 Material [17]. The corresponding sound traces from the two  
 131 microphones are shown in Fig. 3(b). Here the rapid slip phases  
 132 show large sound spikes, while the signal in the intermediate  
 133 stick phases is weak, near the background noise. The close-up  
 134 in Fig. 3(c) shows that the characteristic pressure spikes only  
 135 appear in one of the microphones, verifying that the source of  
 136 the sound pulses occurs at the end of the cracks, where they  
 137 exit the side of the tape. In this case the rms intensity of the  
 138 signal on the right-side microphone is 1.9 times larger, even  
 139 though the distance is only slightly shorter.

140 Furthermore, the schlieren high-speed video captures a  
 141 sequence of weak shocks emerging from this location at the  
 142 edge of the tape, as is shown in the enhanced video frame  
 143 in Fig. 4 (see also Video 2 in [17]). It is telling that no  
 144 density fluctuations are visible in the regions between the  
 145 shocks. These isolated shocks move slightly above the speed  
 146 of sound, which we measure from the video frames at  $u =$   
 147  $355 \pm 2$  m/s, which is 4% larger than the speed of sound  
 148  $c = 342$  m/s at  $20^\circ\text{C}$ , or Mach 1.04. While the transverse  
 149 fractures propagate at velocities between 250 and 600 m/s, in  
 150 this study they still remain subsonic relative to the adhesive's  
 151 Rayleigh wave speed ( $c_R \approx 900$  m/s for acrylic adhesive),  
 152 which did not reach the criterion  $0.4c_R$  required for the  
 153 microbranching instability [18]. This speed of the weak shocks  
 154 is conservative, relying on the motion being perpendicular to  
 155 the viewing direction, assuming a spherical sound front. No  
 156 shock fronts are visible on the other side of the tape. In some  
 157 isolated cases, the fractures will start near the center of the  
 158 tape and travel in both directions, reaching both edges of the

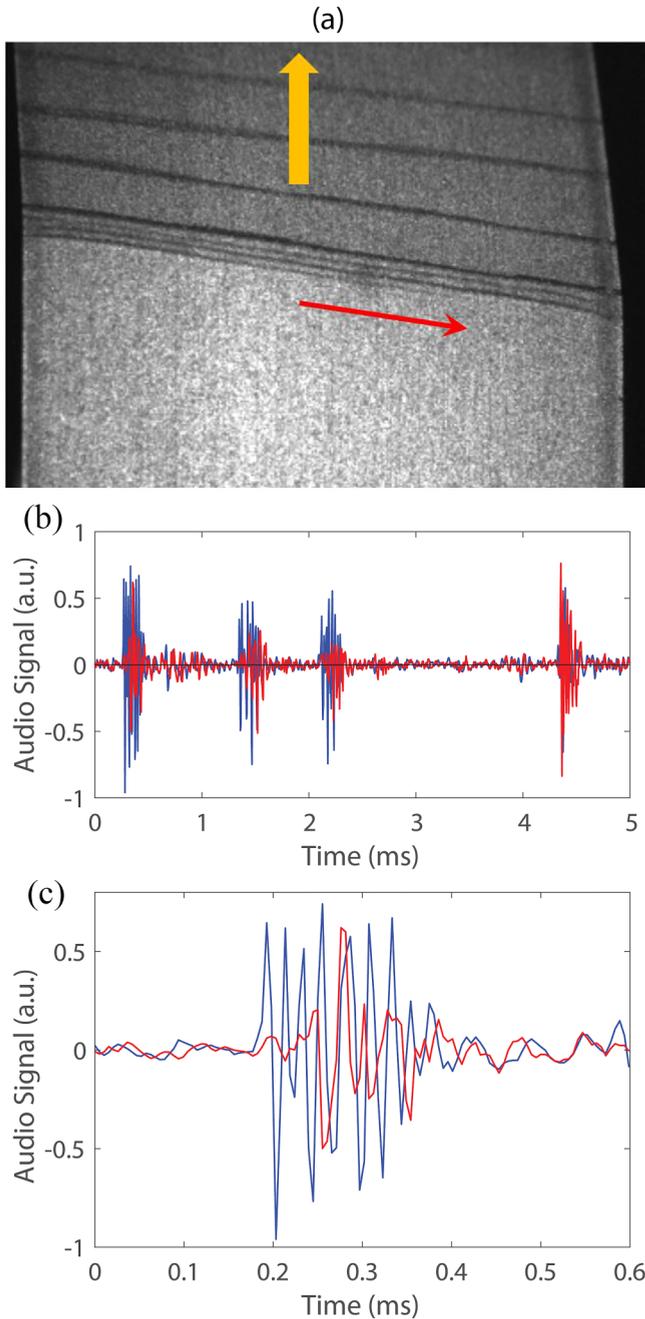


FIG. 3. Simultaneous video capture and sound recordings during a typical rapid stick-slip peeling of the tape. (a) Video frame taken through the bottom glass plate, showing typical transverse fractures traveling from left to right as indicated by the red arrow. The orange arrow shows the pulling direction of the detached section of the tape. For scale, the attached part of the tape is 19 mm wide. The frame is taken from a 96011 fps video clip, which is included in the Supplemental Material [17]. (b) Audio signals from the two microphones, positioned one on each side of the tape. The blue curve corresponds to the microphone closer to the right edge of the tape, where the fractures end, while the red curve is for the one on the left side. (c) Close-up view of the first slip phase in (b).

159 tape. Weak shocks then appear on both sides. Figure 5 shows  
160 that the amplitude of the sound is a strong function of the

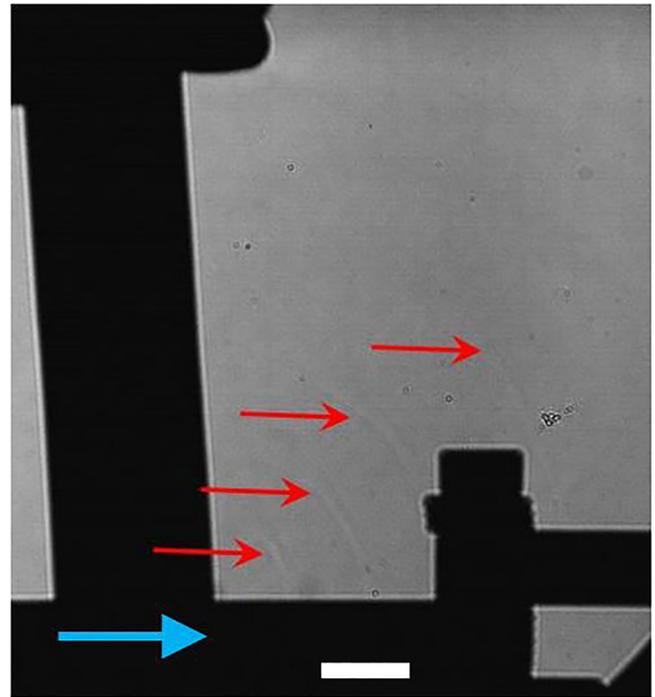


FIG. 4. Schlieren frame from a high-speed video clip, taken at 2 000 000 fps with a 100 ns exposure. It shows four weak shock fronts (marked by the red arrows) emerging from the right side of the tape. The fractures are traveling from left to right as indicated by the cyan arrow. Their frequency of appearance here is approximately 37 kHz. See also Video 2 in the Supplemental Material [17]. The white scale bar is 10 mm long.

speed of the crack tip, which is determined simultaneously  
161 from the bottom view camera.

The duration of the typical slip phase, with the transverse  
162 cracks, is about 0.5 ms, in which a sound wave can travel  
163 0.17 m. In the large room used for the experiments, this should  
164 exclude any reverberations from the walls, interfering with  
165 these results.  
166  
167

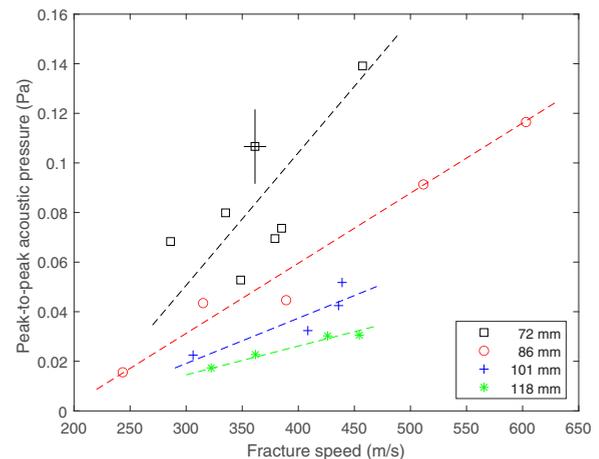


FIG. 5. Peak-to-peak sound pressure vs the observed fracture speed, measured with the microphone at different distances from the edge of the tape.

168 Why are the shocks generated when the cracks reach the  
 169 end of the tape? Here the fact that the tip moves superson-  
 170 ically plays a key role. This implies that a partial vacuum  
 171 is produced between the tape and the solid when the crack  
 172 opens. The crack moves too fast for this void to be filled  
 173 immediately, even though air is sucked in from the direction  
 174 perpendicular to the crack. The void therefore moves with the  
 175 crack until it reaches the end of the tape and collapses onto  
 176 the stationary air outside. The speed of the fractures in this  
 177 work is in the range 250–600 m/s, i.e., Mach numbers  $Ma$   
 178 in the air are in the range 0.7–1.8. We are thereby clearly in  
 179 a regime where compressibility will be significant, as such  
 180 compressibility effects are often assumed to start at  $Ma \simeq 0.3$ .  
 181 With reference to the above point, we are indeed discussing a  
 182 partial vacuum, which becomes progressively stronger with  
 183 larger  $Ma$ -number values. The void fills at the speed of sound  
 184 generating a dynamic pressure of  $\rho c \Delta v = 9600$  Pa, where  
 185  $\Delta v$  stands for the velocity of the air rushing into the void, here  
 186 taken as the mean speed of the front in the slip phase. The  
 187 void is originally only  $h \sim 200$   $\mu\text{m}$  in size, but closes up in  
 188  $t_c = h/c \simeq 0.6$   $\mu\text{s}$ , which causes a very sudden pressure pulse,  
 189 thereby producing the discrete sound, which we perceive as  
 190 the annoying screech. Extrapolating the measured pressures to  
 191 the source, assuming  $p \sim 1/r$ , we get an impulsive pressure at  
 192 an original impulse dimension of 1  $\mu\text{m}$  as high as 5000 Pa, of  
 193 the same order as observed. Keep in mind that while the area  
 194 of the spherical wave grows proportionally to  $1/r^2$ , the flux of  
 195 energy is proportional to  $p^2 \sim 1/r^2$ .

196 One can form an alternative explanation based on the  
 197 motion of the tape when the fracture reaches the edge.  
 198 The gradual arc of the fracture band near its tip is shown to be  
 199 about five times its width  $\delta$  [8]. The sudden detachment of the  
 200 tape from the solid at an angle of  $45^\circ$  therefore takes a time of  
 201  $T \simeq 5 \times \delta/v_{\text{fract}}$ . The tape therefore moves from the solid to  
 202 an average distance of  $\delta/2$  at a velocity of  $\xi' = 0.1 \times v_{\text{fract}}$ .  
 203 The sound wave generated by this boundary motion  
 204  $\xi' = B/r^2$  has an intensity  $B = \xi' \times (\delta/2)^2 = 5.4 \times$   
 205  $10^{-7}$   $\text{m}^3/\text{s}$ . The corresponding pressure at a distance of  
 206 72 mm (Fig. 5) is predicted as  $p = \rho_{\text{air}}(B2\pi f)/r^2 = 37$  Pa,  
 207 which is much larger than observed, supporting the former  
 208 mechanism of the void cavity collapse. The finer details of

209 the sound generation mechanism, at the edge of the tape, will  
 210 thereby require further study.

211 In our experiments we rapidly pull the tape manually. The  
 212 pulling angle is constrained by a horizontal rod, making it  
 213 close to constant at  $45^\circ \pm 2^\circ$ , during the short distance used  
 214 in the close-up imaging, which takes less than 100  $\mu\text{s}$ . We  
 215 believe the small variation in angle and pulling velocity has  
 216 no effect on the nature of the sound-generation mechanism.  
 217 Future work using mechanical pulling, like the ingenious  
 218 machine developed by Dalbe *et al.* [11,12], where the angle  
 219 and pulling velocity are maintained constant, could be used to  
 220 investigate this over longer pulling distances.

#### 221 IV. CONCLUSION

222 Herein we have shown that the screeching sound of peeling  
 223 tape consists of a train of weak shocks that are generated when  
 224 the transverse fracture bands, in the slip phase [8], reach the  
 225 edge of the tape. We used two microphones and two synchro-  
 226 nized high-speed video cameras to simultaneously track each  
 227 fracture band, in a bottom view, revealing that when they reach  
 228 the edge of the tape they produce a shock front in the air,  
 229 which we visualized with a separate schlieren system. The  
 230 elastic waves traveling in the detached tape could also produce  
 231 some sound, but our imaging results showed clearly that the  
 232 train of weak shocks overpowers any such contributions.

233 *Note added.* During the early phase of this study, one of the  
 234 authors, Ravi Samtaney, passed away.

#### 235 ACKNOWLEDGMENTS

236 This study was supported by King Abdullah University of  
 237 Science and Technology under Grant No. BAS/1/1352-01-01.  
 238 E.Q.L. was supported by the National Natural Science Foun-  
 239 dation of China (Grant No. 12388101).

#### 240 DATA AVAILABILITY

241 The data are available from the authors upon reasonable  
 242 request.

- 
- [1] D. C. Hong and S. Yue, Deterministic chaos in failure dynamics: Dynamics of peeling of adhesive, *Phys. Rev. Lett.* **74**, 254 (1995).
- [2] M. Ciccotti, B. Giorgini, D. Vallet, and M. Barquins, Complex dynamics in the peeling of an adhesive tape, *Int. J. Adhes. Adhes.* **24**, 143 (2004).
- [3] R. De and G. Ananthakrishna, Dynamics of the peel front and the nature of acoustic emission during peeling of an adhesive tape, *Phys. Rev. Lett.* **97**, 165503 (2006).
- [4] P.-P. Cortet, M. Ciccotti, and L. Vanel, Imaging the stick-slip peeling of an adhesive tape under a constant load, *J. Stat. Mech.* (2007) P03005.
- [5] J. Teisseire, F. Nallet, P. Fabre, and C. Gay, Understanding cracking versus cavitation in pressure-sensitive adhesives: The role of kinetics, *J. Adhes.* **83**, 613 (2007).
- [6] J. Kumar, R. De, and G. Ananthakrishna, Intermittent peel front dynamics and the crackling noise in an adhesive tape, *Phys. Rev. E* **78**, 066119 (2008).
- [7] J. Kumar, M. Ciccotti, and G. Ananthakrishna, Hidden order in crackling noise during peeling of an adhesive tape, *Phys. Rev. E* **77**, 045202(R) (2008).
- [8] S. T. Thoroddsen, H. D. Nguyen, K. Takehara, and T. G. Etoh, Stick-slip substructure during rapid tape peeling, *Phys. Rev. E* **82**, 046107 (2010).
- [9] M.-J. Dalbe, P.-P. Cortet, M. Ciccotti, L. Vanel, and S. Santucci, Multiscale stick-slip dynamics of adhesive tape peeling, *Phys. Rev. Lett.* **115**, 128301 (2015).
- [10] V. De Zotti, K. Rapina, P.-P. Cortet, L. Vanel, and S. Santucci, Bending to kinetic energy transfer in adhesive peel front microinstability, *Phys. Rev. Lett.* **122**, 068005 (2019).

- [11] M.-J. Dalbe, S. Santucci, L. Vanel, and P.-P. Cortet, Peeling-angle dependence of the stick-slip instability during adhesive tape peeling, *Soft Matter* **10**, 9637 (2014).
- [12] M.-J. Dalbe, R. Villey, M. Ciccotti, S. Santucci, P.-P. Cortet, and L. Vanel, Inertial and stick-slip regimes of unstable adhesive tape peeling, *Soft Matter* **12**, 4537 (2016).
- [13] A. Agrawal, S. Gravelle, C. Kamal, and L. Botto, Viscous peeling of a nanosheet, *Soft Matter* **18**, 3967 (2022).
- [14] M. D. Bartlett, S. W. Case, A. J. Kinloch, and D. A. Dillard, Peel tests for quantifying adhesion and toughness: A review, *Prog. Mater. Sci.* **137**, 101086 (2023).
- [15] C. G. Camara, J. V. Escobar, J. R. Hird, and S. J. Putterman, Correlation between nanosecond x-ray flashes and stick-slip friction in peeling tape, *Nature (London)* **455**, 1089 (2008).
- [16] J. O. Marston, P. W. Riker, and S. T. Thoroddsen, Generation of ultra-sound during tape peeling, *Sci. Rep.* **4**, 4326 (2014).
- [17] See Supplemental Material at <https://link.aps.org/supplemental/10.1103/p19h-9ysx> for details, which includes a sketch and a photograph of the experimental setup, as well as two video clips. The first showing the stick-slip motions from the bottom and the second the weak shocks in the air, using schlieren imaging.
- [18] E. Bouchbinder, T. Goldman, and J. Fineberg, The dynamics of rapid fracture: Instabilities, nonlinearities and length scales, *Rep. Prog. Phys.* **77**, 046501 (2014).