

# Quantifying the Task-Specific Information in Text-Based Classifications

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# Neural NLP models have high capacities



The following is a conversation with an AI assistant. The assistant is helpful, creative, clever, and very friendly.

Human: Hello, who are you?

AI: I am an AI created by OpenAI. How can I help you today?

#### Human: Describe a city you live in.

AI: I live in a city of computers, so my city is made of circuits, routers, drives, servers, and a lot more.

AI: It is an ordinary city, nothing special.

**AI:** Is this satisfactory?

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## Assess model's abilities with classifications





#### Classification datasets contain shortcuts

- Shortcuts allow NLP models to be "right for the wrong reasons" (McCoy et al.., 2019).
- Common shortcuts include punctuation marks, overlapped words.

Quora example S1: What can make Physics easy to learn? S2: How can you make physics easy to learn? Label: True (similar question) Correct reason: They have very similar meanings. Shortcut: They both contain can, to, and "?".

#### MNLI example

S1: You have access to the facts.
S2: The facts are accessible to you.
Label: Entailment
Correct reason: S1 entails S2.
Shortcut: They both contain the, to and you.



# Shortcuts vs. the other part

- Input data as a random variable X
  - The identified shortcut: X<sub>s</sub>
  - The remaining part:  $X_t$
  - According to our definition of "shortcut":  $X_s \perp X_t$
- How much information does  $X_t$  contribute to the target Y?
  - Task-Specific Information (TSI)
  - We define TSI to be  $I(Y; X_t)$





# Quantifying the Task-Specific Information

- With the assumptions, we can arrive at the expression for TSI:  $I(Y; X_t) = H(Y|X_s) - H(Y|X)$
- Empirically: use cross entropy to approximate the entropy: 1 n

$$H(p) = E_p \log \frac{1}{q} - E_p \log \frac{p}{q} = NLL - KL(p||q)$$

- Where NLL is the cross-entropy loss, and KL is the Kullback-Leibler divergence.
- And  $q(\cdot)$  is the distribution approximating the unknown true distribution  $\mathrm{p}(\cdot)$
- This results in the proposed method:

 $TSI = NLL_{Y|X_s} - NLL_{Y|X}$ 



## How close is NLL to the conditional entropy?

• In 99.5% configurations, NLL is within 0.04 nats away from H(Y|X).

 $X_j \sim \text{Bernoulli}(p_x)$ , where  $j \in \{1, 2, ..., m\}$   $X = [X_1, X_2, ..., X_m]$  $Y = g(X_1, ..., X_m) + \epsilon$ , where  $\epsilon \sim \text{Bernoulli}(p_y)$ 





### Identified shortcuts

We identify the following shortcuts:

- <u>P</u>unctuation marks
- Occurrence of (non-negative) <u>s</u>topwords
- Count of <u>overlapped</u> words (for sentence pair tasks)

All shortcut features are normalized by sentence length.



#### Estimated TSI values

#### All TSI values are in nats.

Dataset	$\operatorname{Acc}_{Y \mid X}$	TSI <sup>P+S</sup>	TSI <sup>P+S+O</sup>
MNLI	0.85	0.68	0.64
IMDB	0.92	0.43	_
Yelp	0.97	0.41	_
QQP	0.89	0.31	0.23



## Ablation: using imperfect models



Figure 4: A scatter plot of the accuracy against dev loss of models trained on full datasets.



#### Ablation: stability to dataset sizes



Figure 6: The  $I(Y; X_t)$  estimation when we subsample different sizes of datasets.



#### Future work

The future work can be in these directions:

- Identifying the shortcut features.
- Leaderboard practices.
- Metrics for cross-task comparison.
- Use information-theoretic methods to understand text corpus.



#### Conclusion

- We identify the task-specific information (TSI) for text-based classification datasets.
- We propose a method to estimate TSI.

Thank you for listening! Any questions?